### VTK format for FreeFem++ output data

Gregorio Pellegrini

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We would like to use **VTK format** to save the solution of a given problem, solved in FreeFem++.

Let's consider the standard Poisson problem

$$\begin{cases} -\Delta u = f & \Omega \\ u = 0 & \partial \Omega \end{cases}$$

If we want to work with the data related with this problem, immediately we understand that we need to save:

- data related to mesh, namely vertexes of the triangle and triangle itself
- the value of the solution on the point of the mesh

We are going to focus our attention on the **simple legacy format**, that is a style of this file format.

Let's see the general structure of such a file:

```
# vtk DataFile Version 3.0
output.vtk, Created by Freefem++
ASCII
DATASET Type
...
CELL_DATA
...
```

POINT\_DATA

. . .

\\ header

data type

dataset structure

dataset attribute

\\ title

• HEADER: It describes file version and the identifier of the file:

```
\# vtk DataFile Version 2.0
```

where:

- #, vtk, and DataFile are fixed keywords
- Version 2.0 indicates the version of vtk format we are using, the current one is 3.0, but the Version 1.0 and Version 2.0 are compatible with this latest release

#### TITLE

- it is a character string terminated by the end-of-line character  $\setminus n$ .
- Is a short description of the data, that are going to be stored.
- at most 256 characters

### DATA TYPE

• is a single line containing either the keyword ASCII or BINARY

**DATASET STRUCTURE** is the section of our file where we can describe the topology(Points and cells) and geometry(points coordinates) of our dataset.

Type is replace by the following keywords, that encode the structure of the dataset

- STRUCTURED\_POINTS
- STRUCTURED\_GRID
- RECTILINEAR\_GRID
- POLYDATA
- UNSTRUCTURED\_GRID
- FIELD

each of this type, encode a particular topology of our dataset, thus it depends on the problem to choose the suitable one:

Once we have defined the geometry and topology, let's save data linked with this structure.

There are two possibilities:

- with the keyword **POINT\_DATA** we are attaching to the points the some values, it fits for saving the solution at the nodes of our mesh
- with the keyword **CELL\_DATA** we are linking the data, specified after this keyword, to the cells, that are defined in the dataset section

It's not important if **POINT\_DATA** or **CELL\_DATA** comes first.

#### Remark

These keywords allow the vtk-reader to link the data either with CELLS and or with POINTS.

Later we will see actually how to save such data

# About DATASET type

The choice of the dataset type is determine by the geometry of the problem. In particular in our situation it's strictly related to the mesh. if we focus our attention on the dataset type

- STRUCTURED\_GRID: regular topology and irregular geometry
- RECTILINEAR\_GRID: regular topology but geometry only partially regular
- POLYDATA: irregular in both topology and geometry

All these dataset can be use for our purpose, but require a very strict structure of the mesh on which we are working:

- feasible with meshes characterize by "rectangular" elements
- we need a very regular domain  $\boldsymbol{\Omega}$
- more flexible than the previous but it has few possibilities to represent geometric objects

We can point out these consideration just looking at the code-line to define such structure.

# RECTILINEAR\_GRID

**RECTILINEAR**\_**GRID**, this file support 1D, 2D, 3D structured datasets. The dataset format is followed by:

```
DATASET RECTILINEAR_GRID
DIMESIONS n_x n_y n_z
X_COORDINATES n_x dataType
x_0x_{01}\dots x_{(n_x-1)}
Y_COORDINATES n_y dataType
y_0y_1\dots y_{(n_y-1)}
Z_COORDINATES n_y dataType
z_0z_1\dots z_{(n_z-1)}
```

where

- DIMENSIONS: they has to be grater or equal than 1, and  $n_x$ ,  $n_y$ ,  $n_z$  are the number of points in x-y-z direction
- {X,Y,Z}-COORDINATES: are x y z coordinates of the points

For our purposes we need a different dataset type:

#### UNSTRUCTURED\_GRID

It is an arbitrary combination of cell type, thus is more flexible. Let's see how define such a dataset type

```
DATASET UNSTRUCTURED_GRID
POINTS n dataType
...
CELL n size
...
CELL_TYPE n
```

Here we can see the flexibility of this approach:

- define the points POINTS
- how to connect them CELL
- and how to put together these connections CELL\_TYPES

Let's see in detail what these keywords require:

```
POINTS n dataType

p_{0x} p_{0y} p_{0z}

...

p_{(n-1)x} p_{(n-1)y} p_{(n-1)z}
```

where

- n is the number of points
- dataType is the type of data: *float*, *int*, etc.
- $p_i = (p_{ix} p_{iy} p_{iz})$  are the coordinates of the i-th points.

Let's see in detail what these keywords require:

```
CELL n size

numPoints_0 i_0 j_0 k_0

numPoints_1 i_1 j_1 k_1

...

numPoints_{n-1} i_{n-1} j_{n-1} k_{n-1}
```

where

- n is the number of cells
- size is the cell list size, i.e the total number of integer values required to represent the list
- $numPoints_m$  is the number of point required to define this polygon
- $i_m j_m k_m$  are the pointer identifies the points of the geometry section.

# UNSTRUCTURED\_GRID

Let's see the parameter for the keyword CELL\_TYPES

```
CELL_TYPES n
type<sub>0</sub>
type<sub>1</sub>
...
type<sub>n-1</sub>
```

in this contest:

- *n* is the number of cells
- type<sub>m</sub> is a natural number chosen from a preset table

#### Remark

Here is encode the flexibility of this approach. You can customize every feature of the data: you specify the points, how to collect them, and what is the geometrical object you're building up



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Once we have defined the geometry and topology of our data, let's attach to them the values of quantity of interest.

In our case they are the values of the solution, and we require to save scalar fields, vector fields. These kind of data appears in vtk-format:

- SCALAR
- VECTOR

but actually what we are going to use is a more general dataset attribute:

#### FIELD DATA

it doesn't introduce any difference with respect to vector or scalar dataset attribute, but it allows to write in the same environment, data that are either scalar or vectors.

### Field data

It's essentially an array of data arrays. Defining a field data means giving a name to the field and specifying the number of arrays it contains. Let's see the code line, to define it

FIELD dataName numArray arrayNameO numComponents numTuple dataType  $f_{0,1}$  ...  $f_{0,numComponents-1}$  $f_{0,1}$  ...  $f_{1,numComponents-1}$  $f_{0.0}$ f<sub>0.0</sub>  $f_{(numTuple-1),0}$   $f_{(numTuple-1),1}$   $\cdots$   $f_{(numTuple-1),(numComponents-1)}$ ÷ arrayName(numArray-1) numComponents numTuple dataType  $f_{0,0}$  $f_{0,1}$  ...  $f_{0,numComponents-1}$  $f_{0,1}$  ...  $f_{1,numComponents-1}$  $f_{0,0}$  $f_{(numTuple-1),0}$   $f_{(numTuple-1),1}$  ...  $f_{(numTuple-1),(numComponents-1)}$ ▲■▶ ▲■▶ ▲■▶ ■ のへの We need to save all required data on file, and the Output stream class to operate on files is *ofstream*:

```
ofstream file("fileName.vtk");
file ≪ "Hello! I'm saving this string on file" ≪ endl;
}
```

In order to visualize the solution in a vtk-reader we need to save:

- geometry are the points on which the solution is defined
- topology of the problem is completely encode in the mesh Th
- the solution of the problem, namely its values on the nodes.

### Header

Let's consider our standard Poisson problem, already solved in Freefem++:

$$\begin{cases} \Delta u = 0 & \Omega \\ u = f & \partial \Omega \end{cases}$$

Due to our implementation is not require to know a priori the underlying finite element space  $\mathbf{X}\mathbf{h}$ .

Before starting let's save the values of the nodes:

$$Xh[int] xh(2);$$
  $xh[0] = x;$   $xh[1] = y;$ 

Let's set the header and the basic information about our vtk file.

I use the UNSTRUCTURED\_GRID type of dataset, since is the most general. After the keyword POINTS I save all points on which the solution is known.

```
file «"POINTS " « Xh.ndof « " float" « endl ;
for (int i = 0 ; i < Xh.ndof ; i++)
{
  file«xh[0][][i]«" "«xh[1][][i]«" "« " 0 " « endl;
}
file « endl;</pre>
```

If we are dealing with 3D problem we have to save also the z-component of the nodes

$$Xh[int] xh(3);$$
  $xh[0] = x;$   $xh[1] = y;$   $xh[2] = z;$ 

instead setting the third component to "0" we write xh[2][][i].

# "Assembly of the file: CELLS & CELL\_TYPE"

```
file «"CELLS " Th.nt «" " 4*Th.nt endl;
for ( int i = 0 ; i < Th.nt ; i++ ) {</pre>
     file \ll "3 " \ll ""; \\ since we have 3 vertices
     for ( int j = 0 ; j < 3 ; j++) {</pre>
        file \ll Xh(i,j) \ll " ";
     file \ll endl;
   }
file \ll "CELL_TYPES " \ll Th.nt \ll endl;
for ( int i = 0 ; i < Th.nt ; i++) {</pre>
        file \ll "5 ":
     file \ll endl;
```

# 'Assembly of the file"

Let's suppose that the problem that we are going to solve is the usual 2-dimensional possion problem  $-\Delta u = f$ . Thus we have only one function to keep u(x, y). We save this value using a *FIELD* data attribute

```
file « "POINT_DATA" « Xh.ndof « endl;
file << "FIELD"; << " fieldata "; << " 1 "; << endl;
file « "solution " « " 1 " « Xh.ndof «" float" « endl;
for ( int i =0 ; i < Xh.ndof ; i++)
{
    real Thx,Thy; Thx =xh[0][][i]; Thy = xh[1][][i];
    file « u(Thx,Thy) « endl;
}
```

if we are in 3D setting, we add the z-component: